Class: B. Sc. 1st Semester

Subject: Physics (Honours)

Paper: PHY-HC-1016

Time: 1 Hour 20 Minutes Full Marks: 30

Answer *any six* questions, each carrying five marks: $5 \times 6 = 30$

1. Prove i)
$$(\vec{A} \times \vec{B})^2 = A^2 B^2 - (\vec{A} \cdot \vec{B})^2$$

ii)
$$\left| \hat{a} - \hat{b} \right| = 2 \sin \frac{\theta}{2}$$

Where θ is the angle between \hat{a} and \hat{b} .

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- 2. Show that the vectors $\vec{a} = 5\hat{i} + 6\hat{j} + 7\hat{k}$, $\vec{b} = 7\hat{i} + 8\hat{j} + 9\hat{k}$ and $\vec{c} = 3\hat{i} + 20\hat{j} + 5\hat{k}$ are coplanar vectors.
- 3. Show that $\vec{a} \times (\vec{b} \times \vec{c}) = (\vec{a} \cdot \vec{c})\vec{b} (\vec{a} \cdot \vec{b})\vec{c}$.
- 4. If $\vec{f} = xy^2\hat{i} + 2x^2yz\hat{j} 3yy^2\hat{k}$, find divergence of \vec{f} at (1,-1,1).
- 5. Define Gradient of a scalar function. If $\phi = 3x^2y y^3z^2$, find grad ϕ at the point (1, -2, -1).
- 6. Define order and degree of a differential equation. Write the order and degree of the following:

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$$a) \quad x\frac{d^2y}{dx} - xy = 0$$

b)
$$x^{2} \left(\frac{d^{2}y}{dx^{2}}\right)^{3} + y \left(\frac{dy}{dx}\right)^{4} + y^{4} = 0$$

7. If $y=A\cos x + B\sin x$, form the differential equation and also write the order of the differential equation. 4+1=5

8. Define a linear differential equation. Write its standard form. Solve the linear differential equation: 1 + 1 + 3 = 5

$$(x+1)\frac{dy}{dx} - y = e^x(x+1)^2$$

9. What is exact differential equation. Solve the exact differential equation: 2 + 3 = 5

$$(5x^4 + 3x^2y^2 - 2xy^3)dx + (2x^3y - 3x^2x^2 - 5y^4)dy = 0$$

10. What is Wornskian? Check whether the following function are linearly independent or not: 2 + 3 = 5 $e^{x} \cos x$, $e^{x} \cos x$

Or

Solve:
$$\frac{d^2y}{dx^2} - 5\frac{dy}{dx} + 6y = 0$$

Class: B. Sc. 1st Semester Subject: Physics (Honours)

Paper: PHY-HC-1026 (Mechanics)

| Tin | ne: 1 Hour 20 Minutes | Full Marks | : 30 | |
|--|---|--------------|------|--|
| Answer any six questions of the following: 5 x 6 | | 5 x 6 = | = 30 | |
| 1. | Distinguish between inertial and non-inertial fran | nes | | |
| | of reference. | | 5 | |
| 2. | State Newton's 1st law and derive it from Newton | n's 2nd law. | 5 | |
| 3. | Show that length is invariant under Galilean trans | sformation. | 5 | |
| 4. | Deduce the equation of Rocket motion. | | 5 | |
| 5. | Show that the path of a inclined projectile is parabolic. | | 5 | |
| 6. | What are conservative and non-conservative fo | rces? | | |
| | Give example. | | 5 | |
| 7. | . What is moment of inertia and find the moment of inertia of a | | a | |
| | uniform circular disc about an axis passing throu | gh its | | |
| | centre and perpendicular to its plane. | | 5 | |
| 8. | Show that $Y = 3K(1-2\sigma)$. | | 5 | |
| 9. | Show that force as a negative gradient of potent | ial energy. | 5 | |
| 10, | Find the gravitational potential and field due to a | solid spher | e | |
| | at a point outside the sphere. | | 5 | |
| | Y | | | |

Class: B. Sc. 1st Semester Subject: Physics (Generic)

Paper: PHY-HG-1016 (Mechanics)

Time: 1 Hour 20 Minutes Full Marks: 30

| Ans | wer any six questions of the following: | $5 \times 6 = $ | 30 |
|-----|---|-----------------|----|
| 1. | Write the difference between scalar and vector produ | ıct. | 5 |
| 2. | If $\vec{A} = 2\hat{i} + 3\hat{j} - 4\hat{k}$, $\vec{B} = 3\hat{i} - 2\hat{j} + \hat{k}$ then find | | |
| | i) $\vec{A} \cdot \vec{B}$ ii) $\vec{A} \times \vec{B}$. | 3 4 C | 5 |
| 3. | Define inertial and non-inertial frames of reference. | ζ. | 5 |
| 4. | State Newton's 2nd law of motion and derive its | · - | |
| | mathematical form. | | 5 |
| 5. | State Newton's 3rd law and derive it from Newton's 2 | nd law. | 5 |
| 6. | Deduce the differential equation of SHM. | | 5 |
| 7. | Establish an expression of time period of a compound | d | |
| | pendulum. | | 5 |
| 8. | State Kepler's law in planetary motion. | | 5 |
| 9. | Establish the relation $K = \frac{Y}{3(1-2\sigma)}$. | | 5 |
| 10. | Find the expression for twisting couple on a cylinder. | | 5 |
| | also also also also also also | | |

Class: B. Sc. 3rd Semester Subject: Physics (Honours) Paper: PHY-HC-3016

Time: 1 Hour 20 Minutes Full Marks: 30

Answer six questions each carrying 5 marks: $6 \times 5 = 30$

- Define Hermitian, symmetric and orthogonal matrix. Give the matrix representation of a matrix.
- 2. Find the complex conjugate of the matrix $\begin{pmatrix} 1 & 2 & 3i \\ 1-i & i & 2+3i \end{pmatrix}$. 5
- 3. Express a square matrix as the sum of an Hermitian and an anti-Hermitian matrix.
- 4. Find the inverse of the matrix $A = \begin{pmatrix} 3 & 2 & 1 \\ 1 & 1 & 1 \\ 5 & 1 & -1 \end{pmatrix}$.
- 5. Show that $A = \begin{pmatrix} \cos\theta & -\sin\theta \\ \sin\theta & \cos\theta \end{pmatrix}$ is an orthogonal matrix. 5
- 6. Show that an orthogonal matrix is non-singular. 5
- 7. Prove that $(AB)^{-1} = B^{-1}A^{-1}$.
- 8. If $A = \begin{pmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ 5 & 0 & 0 \end{pmatrix}$ then verify that $A^3 = 5I$.
- 9. Determine the rank of the matrix $\begin{pmatrix} 1 & 2 & 3 \\ 3 & 4 & 5 \\ 4 & 6 & 8 \end{pmatrix}$.
- 10. Show that (AB)' = B'A'.

Class: B. Sc. 3rd Semester Subject: Physics (Honours)

Paper: PHY-HC-3026

| Tim | e: I Hour 20 Minutes Full Mark | s: 30 | |
|-----|---|-------|--|
| Ans | wer any six questions of the following: 5 x 6 | = 30 | |
| 1. | What are extensive and intensive thermodynamic variables? | | |
| | State Zeroth law of thermodynamics. | 5 | |
| 2. | Establish the relation: | 5 | |
| | $C_p - C_v = R$ | | |
| 3. | Calculate the workdone during an Isothermal process. | 5 | |
| 4. | What are isothermal, adiabatic, reversible and irreversible | | |
| | process? Give examples. | 5 | |
| 5. | What are compressibility and expansion co-efficient. | 5 | |
| 6. | Mention five postulates of kinetic theory of gases. | 5 | |
| 7. | State the Maxwell-Boltzmann law of velocity distribution as | nd | |
| | write its mathematical expression. | 5 | |
| 8. | What do you mean by degree of freedom? State numbers | | |
| | of degrees of freedom for monatomic, diatomic and | | |
| | polyatomic gases. | 5 | |
| 9. | Find an expression for RMS speed. | 5 | |
| 10. | State mean free path and law of equipartion of energy. | 5 | |
| | | | |

Class: B. Sc. 3rd Semester

Subject: Physics (Honours) Paper: PHY-HC-3036 Full Marks: 30 Time: 1 Hour 20 Minutes $5 \times 6 = 30$ Answer any six: Write the difference between analog signal and digital signal with example. Write short notes: a) Decimal number system
 b) Binary number system c) BCD 3. Convert Decimal to Binary number: b) (37.25)₁₀ a) (33) in Convert Binary to Decimal system: 4. b) (11011.01), a) (10111), Find the 1's and 2's compliment 5. b) 10001 a) 10011 Find the result of Binary addition: 6. b) 1011 and 1001 a) 101 and 110 Find the result of Binary substraction: a) 10001 substract from 10011 by using both general and 1's compliment method. Convert Decimal to BCD: 8. a) (234) 10 b) (358) 10 Convert Octal to Decimal number: 9. b) $(211)_8$ a) (645), Convert Hexagonal to Decimal number :

a) (F 8) 16

b) (15 A)₁₆

Class: B. Sc. 3rd Semester

Subject: Physics (Generic)

| Paper: PHY-HG-3016 | - u |
|--|-------------------|
| Time: 1 Hour 20 Minutes | Full Marks: 30 |
| Answer any six questions of the following: | $5 \times 6 = 30$ |
| 1. State Zeroth law and first law of thermodynamic | ics. 5 |
| 2. What are isothermal, adiabatic, isobaric, revers | sible and |
| irreversible process? | |
| 3. Calculate the workdone during an isothermal p | rocess. 5 |
| 4. Write the postulates of kinetic theory of gages (| any five). 5 |
| 5. State and explain Maxwell's law of velocity dist | ribution. 5 |
| 6. Write short notes: | 5 |
| a) Micro-state | |
| b) Macro-state | |

7.

8.

9.

Show that $S = K \log w$, where

S = Entropy of the system.

K = Constant, w = Thermodynamical Probability

10. Deduce Wien's distribution law of Blackbody radiation.

Deduce Maxwell-Boltzmann distribution law.

Derive Plank's law of Blackbody radiation.

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Class: B. Sc. 5th Semester Subject: Physics (Honours) Paper: PHY-HC-5016

| Time: 1 Hour 20 Minutes | Full Marks: 30 |
|-------------------------|----------------|
| | |

| Ans | wer | any s | six questions each carryin | g 5 1 | marks: $6 \times 5 = 30$ |
|--|------|--------|----------------------------|---|--------------------------|
| 1. Choose the correct options: | | | 1 x 5 | | |
| | 1) | The | momentum of a photon of | fene | ergy E is |
| | | a) | EC | b) | E^2C |
| | 20 | c) | E/C | d) | E/C^2 |
| | ii) | The | de Broglie wave are: | | |
| | | a) | matter waves | b) | mechanical waves |
| | | c) | electromagnetic waves | d) | standing waves |
| | iii) | Whi | ch one of the following wa | ive f | unction is the best |
| representation of a free particle along the positive x-ax | | | | | ong the positive x-axis? |
| | | a) | $A \sin(kx - \omega t)$ | b) | $A\cos(kx-\omega t)$ |
| | | c) | A e i (ka - ωt) | d) | $A e^{-i(ka-\omega t)}$ |
| iv) The probability density $\psi^*(x, t) \psi(x, t)$ is always: | | | | $\psi(\mathbf{x}, \mathbf{t})$ is always: | |
| | | a) | real b) | cor | nplex |
| | | c) | zerod) | neg | gative |
| v) The Schrodinger equation contains: | | | | 3 : | |
| | | a) | 1st order time derivative | | |
| | | b) | 1st order space derivativ | е | |
| | | c) | 2nd order time derivative | ; | |
| | | d) | 3rd order time derivative | | |
| 2. | Wł | nat is | a wave function? Give Bo | rn's | interpretation of a |

wave function.

2 + 3 = 5

| 3. | Why the wave function $\psi(x)$ be single-valued everywhere? | ? |
|----|--|-----|
| | Is $\psi(x) = x^3$ and acceptable wave function? | 5 |
| 4. | Derive the time dependent Schrodinger's equation. | 5 |
| 5. | Write the Schrodinger's equation for a free particle. | |
| | What is the physical significance of the wave function? | 5 |
| 6. | Prove the relation $\frac{\partial p}{\partial t} + \vec{\nabla} \cdot \vec{S} = 0$, where P is the probability | |
| | density and \vec{S} is the probability density constant. | 5 |
| 7. | Show that the probability density $\psi^*(x, t) \psi(x, t)$ is | |
| | always real. | 5 |
| 8. | If ψ_1 and ψ_2 are two solutions of the Schrodinger's equation | on, |
| | then a linear combination $\psi = C_1 \psi_1 + C_2 \psi_2$ where C_1 and | |
| | C ₂ are constants is also a solution.' Prove the statement. | 5 |
| 9. | If $\psi(x) = Ae^{-\frac{\alpha^2 x^2}{2}} e^{ikx}$, find the normalization constant A. | |
| 10 | . Normalize the wave function $\psi(x) = Ae^{ikx}$ in the region | _ |
| | $-a \le x \le a$ | 5 |

Class: B. Sc. 5th Semester

Subject: Physics (Honours)

Paper: PHY-HC-5026

(Solid State Physics)

Time: 1 Hour 20 Minutes

Full Marks: 30

Answer any six:

 $5 \times 6 = 30$

- 1. Define Bravias lattice, primitive unit cell and basis.
- 2. Distinguish between crystalline and amorphous solids.
- 3. Draw the Miller planes:

$$(2\ 2\ 2), (\bar{1}\ 0\ 0) \& (0\ 0\ 1)$$

- 4. Define reciprocal lattice and Wigner Seitz cell.
- Draw the lattices of tetragonal crystal system specifying lattice parameters.
- Explain nay two symmetry operators.
- 7. Deduce Bragg's law.
- 8. What do you mean by super-conductivity and super conductor?
- 9. Explain Meissner effect.
- Distinguish between type 1 and type 2 super conductors.

Class: B. Sc. 5th Semester Subject: Physics (Honours) Paper: PHY-HE-5016

Time: 1 Hour 20 Minutes

Full Marks: 30

Answer any six:

 $5 \times 6 = 30$

1. Define the terms accuracy, error and precision.

- State the three major categories (Gross, Systematic and Random) of error.
- 3. Define the following terms:
 - a) Arithmetic mean

- b) Deviation
- c) Standard deviation
- Write the difference between periodic and aperiodic signals.
 State the properties of periodic signals.
- Examine whether the signals periodic or non-periodic, if periodic determine the fundamental period:
 - a) $\sin 12 \pi t$

b) $e^{j4\pi t}$

- c) $5\cos 2\pi t$
- 6. Explain S/N ratio and noise figure:
- For the following given data, calculate
 - i) Arithmetic mean

ii) Deviation of each value

iii) Algebraic sum of the deviation

Given, $x_1 = 49.7$, $x_2 = 50.1$, $x_3 = 50.2$, $x_4 = 49.6$, $x_5 = 49.7$,

- Calculate the average deviation and standard deviation for the previous data (in question number 7).
- Explain any three methods of safety grounding.
- 10. Write short notes:
 - a) Electrostatic Shielding
 - b) Electromagnetic Interference Shielding (EMI)

Class: B. Sc. 5th Semester
Subject: Physics (Honours)
Paper: PHY-HE-5056
Nuclear and Particle Physics)

(Nuclear and Particle Physics)
Time: 1 Hour 20 Minutes

| Ti | me: 1 Hour 20 Minutes | Full Mark | s: 30 |
|-----|--|-------------------------|---------------------|
| An | swer any six questions of the following: | 5 x 6 | = 30 |
| 1. | Derive Semi-empirical mass formula. | | 5 |
| 2. | Write the similarities between nucleus and liquid | l drop. | 5 |
| 3. | What are electron emission, positron emission a | nd | |
| | electron capture? | | 5 |
| 4. | What is binary energy? Write about nuclear force | ces. | 5 |
| 5. | Write about neutrino hypothesis. | | 5 |
| 6. | Using semi-empirical mass formula find the bindi | ng energy | |
| | of 20 Ca 40. | ٠ ۵ | 5 |
| 7. | What is nuclear reaction? What are the different | types of | |
| | nuclear reactions? | | 5 |
| 8. | What are the conservation laws of nuclear reaction | ons? | 5 |
| 9. | What is strangeness quantum number? Draw the | | nd |
| | Mesons Octate. | | 5 |
| 10. | What are elementary particles? What is antipartic | ele? | |
| | What are Leptons and Hadrons? | | 5 |
| | and Allert Owners and Annual Property and Annu | The state of the second | COLUMN TO THE TOTAL |